# **Virtual Topologies**







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# Virtual Topologies

- Convenient process naming.
- Naming scheme to fit the communication pattern.
- Simplifies writing of code.
- Can allow MPI to optimise communications.





### How to use a Virtual Topology

- Creating a topology produces a new communicator.
- MPI provides "mapping functions".
- Mapping functions compute processor ranks, based on the topology naming scheme.



#### Example

#### A 2-dimensional Cylinder







# Topology types

- Cartesian topologies
  - each process is "connected" to its neighbours in a virtual grid.
    - boundaries can be cyclic, or not.
    - optionally re-order ranks to allow MPI implementation to optimise for underlying network interconnectivity.
  - processes are identified by cartesian coordinates.
- Graph topologies
  - general graphs
  - not covered here



#### Creating a Cartesian Virtual Topology

 Fortran: MPI\_CART\_CREATE (COMM\_OLD, NDIMS, DIMS, PERIODS, REORDER, COMM CART, IERROR)

INTEGER COMM\_OLD, NDIMS, DIMS(\*), COMM\_CART, IERROR LOGICAL PERIODS(\*), REORDER





#### **Balanced Processor Distribution**

• Fortran:

MPI DIMS CREATE (NNODES, NDIMS, DIMS, IERROR)

INTEGER NNODES, NDIMS, DIMS(\*), IERROR





### MPI\_Dims\_create

Call tries to set dimensions as close to each other as possible

dims before call	function call	dims on return
(0, 0)	MPI_DIMS_CREATE( 6, 2, dims)	(3, 2)
(0, 0)	MPI_DIMS_CREATE( 7, 2, dims)	(7, 1)
(0, 3, 0)	MPI_DIMS_CREATE( 6, 3, dims)	(2, 3, 1)
(0, 3, 0)	MPI_DIMS_CREATE( 7, 3, dims)	erroneous call

- Non zero values in dims sets the number of processors required in that direction
  - WARNING: make sure dims is set to zero before the call





## Cartesian Mapping Functions

Mapping process grid coordinates to ranks

#### 

• Fortran:

• C:

MPI\_CART\_RANK (COMM, COORDS, RANK, IERROR)
INTEGER COMM, COORDS(\*), RANK, IERROR





## **Cartesian Mapping Functions**

Mapping ranks to process grid coordinates

 C: int MPI\_Cart\_coords(MPI\_Comm comm, int rank, int maxdims, int \*coords)

Fortran:
 MPI\_CART\_COORDS (COMM, RANK, MAXDIMS, COORDS, IERROR)

INTEGER COMM, RANK, MAXDIMS, COORDS(\*), IERROR



#### **Cartesian Mapping Functions**

Computing ranks of my neighbouring processes Following conventions of MPI\_SendRecv

 Fortran: MPI\_CART\_SHIFT (COMM, DIRECTION, DISP, RANK\_SOURCE, RANK\_DEST, IERROR)

INTEGER COMM, DIRECTION, DISP, RANK\_SOURCE, RANK\_DEST, IERROR





• C:

#### Non-existent ranks

- What if you ask for the rank of a non-existent process?
  - or look off the edge of a non-periodic grid?
- MPI returns a NULL processor - rank is MPI PROC NULL
- . . . .
- MPI\_PROC\_NULL is a black hole
  - sends and receives complete immediately
  - send buffer disappears, receive buffer isn't touched
  - like UNIX /dev/null





### **Cartesian Partitioning**

- Cut a grid up into "slices".
- A new communicator is produced for each slice.
- Each slice can then perform its own collective communications.
- MPI\_Cart\_sub and MPI\_CART\_SUB generate new communicators for the slices.
  - Use array to specify which dimensions should be retained in the new communicator.



#### Partitioning with MPI\_CART\_SUB

Fortran:
 MPI\_CART\_SUB (COMM, REMAIN\_DIMS, NEWCOMM, IERROR)

INTEGER COMM, NEWCOMM, IERROR LOGICAL REMAIN\_DIMS(\*)





- See Exercise 6 on the sheet
- Rewrite the exercise passing numbers round the ring using a one-dimensional ring topology.



