



EPSRC

# Percolate exercise

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# Overview

- The purpose of this practical is to
  - gain experience of taking a real scientific problem and implementing it as a program in Fortran
  - Try out the object oriented features in F2003 functionality we will discuss in the lectures.
- Aim of this practical
  - Develop the Percolate code, to fill in missing code to complete the implementation.
  - Implement a module structure in the percolate code
  - Define derived types for use in the program
  - Implement Fortran classes
  - Compare performance between the different versions



# Getting the Code

- Copy code from the ARCHER website:
  - [http://www.archer.ac.uk/training/course-material/2016/01/oofortran\\_culham/index.php](http://www.archer.ac.uk/training/course-material/2016/01/oofortran_culham/index.php)
  - Download to ARCHER
  - Unpack the code
    - `tar xvf percolate.tar.gz`
- Initially
  - the code will compile and run ...
  - ... but do nothing useful until you complete the missing code

```
$ ./build
```

```
$ ./percolate
```



# The Output

- The program produces a visual output
  - as a Portable Grey Map (PGM) file
  - which can be viewed with standard tools

- To visualise

```
$ display -resize 200x200 map.pgm
```

- Initially this will be a meaningless chequerboard
  - because you haven't written the code yet
    - (and `perccwrite` will incorrectly report number and size of clusters)





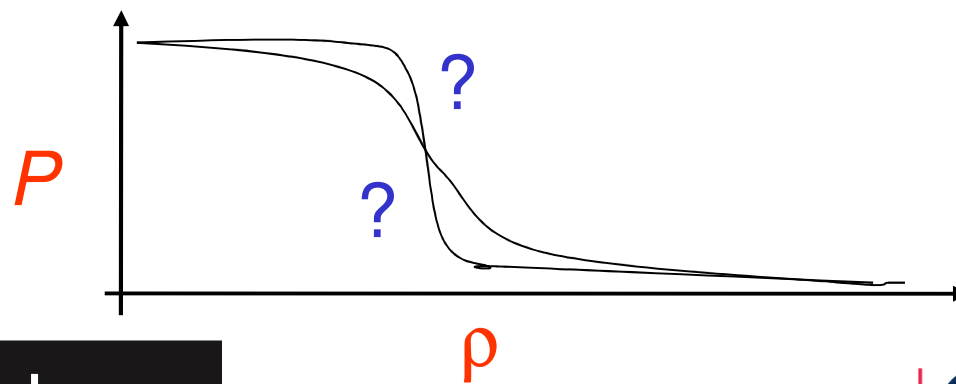
# Mathematical Formulation

- Consider an  $L \times L$  map
  - what is the probability  $P$  of percolation if the grid is filled with a given density  $\rho$
  - value of  $\rho$  lies between 0.0 (empty) and 1.0 (100% filled)
- On previous slide
  - $L=5$ ,  $\rho = 0.40$  and  $0.48$  (10/25 and 12/25)
- For a given  $\rho$  there are many possible maps
  - generate different random maps with the correct density
  - compute the probability that a cluster percolates



# What Do We Know Already?

- Obviously
  - if  $\rho = 0.0$ ,  $P = 1.0$ ; if  $\rho = 1.0$ ,  $P = 0.0$
- What about  $\rho = 0.5$ ?
  - need to do many computer *simulations*
  - if we generate 100 maps and 72 of them percolate,  $P = 0.72$
- What does the graph of  $P$  versus  $\rho$  look like?
  - how does it depend on  $L$ ?



# The Programming Exercise

- You have to complete four routines
- **fill**
  - to fill the  $L \times L$  map with ones and zeros with the correct density
- **init**
  - to initialise the map for the `update` routine
- **update**
  - to look for clusters until they are all found
- **test**
  - to check if percolation has occurred



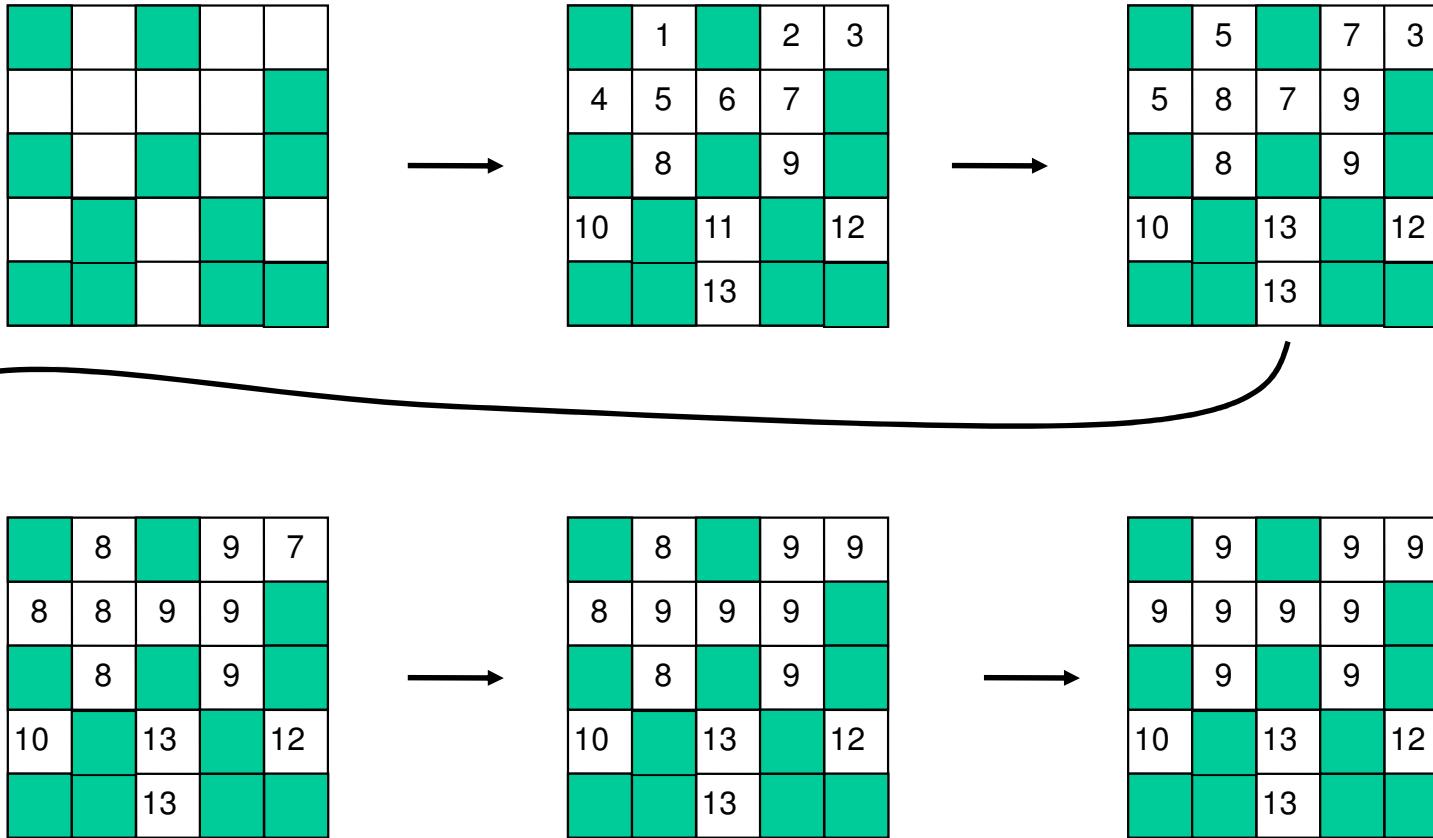


# Method

- Initialise each of the empty cells with a unique positive integer
  - loop over all the cells in the map many times
  - replace each cell with the maximum of its four neighbours
    - in all cases, ignore the filled cells
- The large numbers gradually fill the gaps
  - each cluster eventually contains a single, unique number
  - this allows us to count and identify the clusters
  - and look for percolation
    - if the same number appears at top and bottom of the map

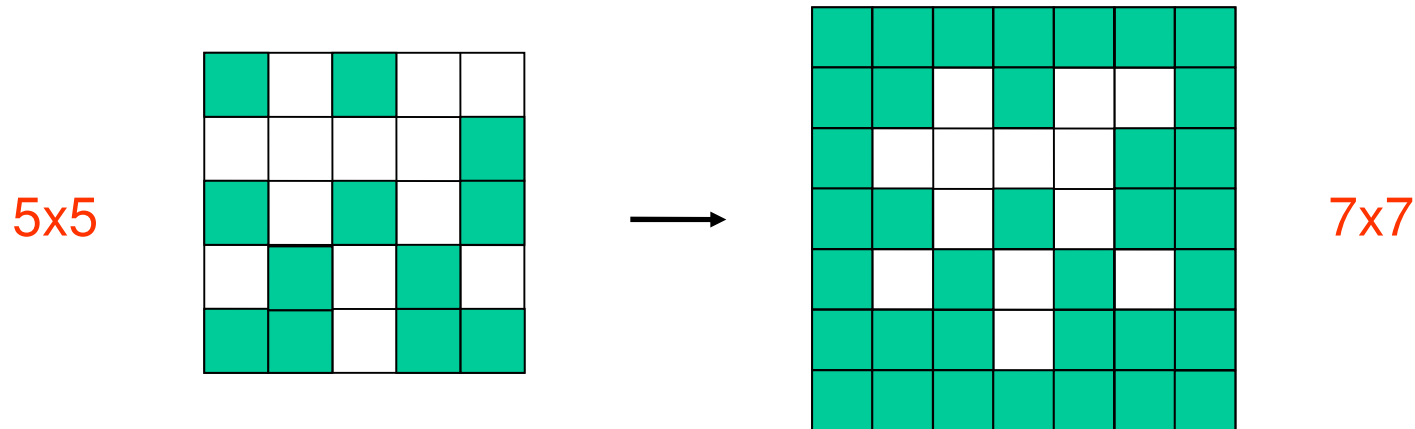


# Solving Test Problem



# Boundaries

- Must ensure we don't look outside the map
  - easiest to achieve by having a halo all round the problem
  - use a map of size  $(L+2) \times (L+2)$  and fill in the halo



- Must ignore filled cells when updating map
  - set filled (green) cells to zero
  - zeroes will NEVER propagate to other cells



# Filling the Map

- `fill` should fill the map with probability  $\rho$ 
  - eg if  $\rho = 0.6$ , 60% of the interior cells are zero, the rest are one
  - check against the value of a random number  $0.0 \leq r < 1.0$ 
    - eg for  $\rho = 0.6$ , decide based on whether  $r$  is less / greater than 0.6
    - see random number generator in `uni.f90`
    - compute actual density = number of zeroes / (L\*L), compare to  $\rho$
  - always set the boundaries to zero
- Implement the routine
  - run the code and visualise the output for different values of  $\rho$
  - empty cells (the clusters) will appear black
  - only the interior is displayed



# Looking for Clusters

- `init` sets non-zero cells to unique integers
- `update` looks at every non-zero interior cell
  - replaces it with the maximum of its four nearest neighbours
    - and returns the number of cells that have changed
  - main program stops updating when there are no more changes
- `test` checks if any clusters have percolated
  - returns true if percolated; false otherwise
- `write` also checks some statistics
  - prints the number of clusters and the size of the largest
  - you can also control how many appear in output
    - display only the largest two or three clusters for nicer pictures!



# The Whole Program

0	0	0	0	0	0	0
0	0	1	0	1	1	0
0	1	1	1	1	0	0
0	0	1	0	1	0	0
0	1	0	1	0	1	0
0	0	0	1	0	0	0
0	0	0	0	0	0	0

fill

0	0	0	0	0	0	0
0	0	1	0	2	3	0
0	4	5	6	7	0	0
0	0	8	0	9	0	0
0	10	0	11	0	12	0
0	0	0	13	0	0	0
0	0	0	0	0	0	0

init

0	0	0	0	0	0	0
0	0	5	0	7	3	0
0	5	8	7	9	0	0
0	0	8	0	9	0	0
0	10	0	13	0	12	0
0	0	0	13	0	0	0
0	0	0	0	0	0	0

update=7

0	0	0	0	0	0	0
0	0	8	0	9	7	0
0	8	8	9	9	0	0
0	0	8	0	9	0	0
0	10	0	13	0	12	0
0	0	0	13	0	0	0
0	0	0	0	0	0	0

update=5

0	0	0	0	0	0	0
0	0	8	0	9	9	0
0	8	9	9	9	0	0
0	0	8	0	9	0	0
0	10	0	13	0	12	0
0	0	0	13	0	0	0
0	0	0	0	0	0	0

update=2

0	0	0	0	0	0	0
0	0	9	0	9	9	0
0	9	9	9	9	0	0
0	0	9	0	9	0	0
0	10	0	13	0	12	0
0	0	0	13	0	0	0
0	0	0	0	0	0	0

update=3  
test=false



# Summary

- Work on the percolation example
  - Initially just developing an “old school” Fortran program
- Aim is:
  - to obtain a program that produces useful output
  - to obtain graph of  $P$  vs  $\rho$  for various  $L$
- Come back to this example for the language features we are looking at in the lectures
  - Add modules
  - Add derived types
  - Add classes
  - etc...



# Measuring performance

- Plot performance (eg iterations/second) vs  $L$ 
  - `dtime()` or `etime()` in Fortran
  - Compare the different implementations to see if there are performance penalties to the different approaches

